

Obstacle-Aware Length-Matching Bus Routing

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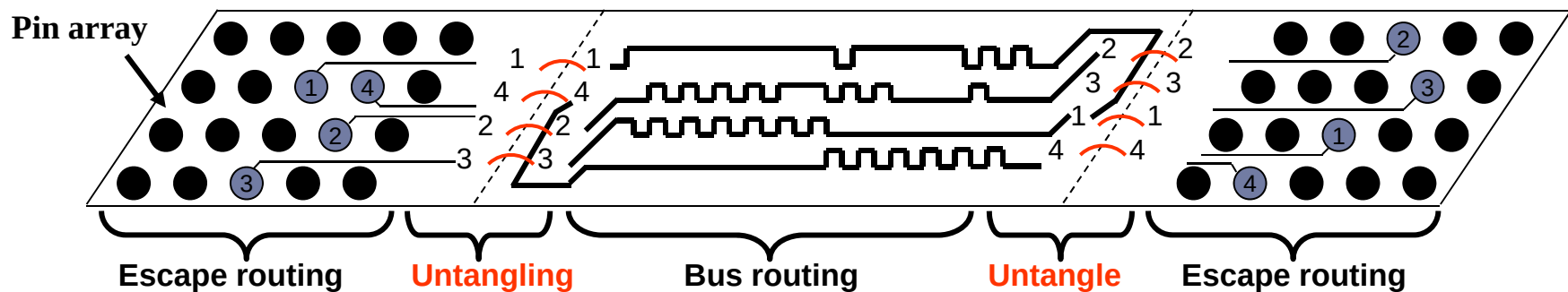
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Outline

- Introduction
- Problem Formulation
- Obstacle-Aware Length-Matching Bus Routing
 - Obstacle-Aware Region Partition in Routing Grids
 - Obstacle-Aware Shortest-Path Generation
 - Iterative Length-Matching Path Generation
- Experimental Results
- Conclusions

Routing in PCB

- Three processes in PCB routing
 1. Escape Routing
 2. Untangling Processing
 3. Bus Routing



PCB Routing Challenges

- More than thousands of pins are involved in modern PCBs.
- Physical “obstacles” on PCB
 - Component mounting pads: DIP / SMD
 - Pre-route predictions: analog / TTL design reservation
- Various design constraints
 - Layer constraints
 - Length matching: each routed net must be bounded within specific wire length



Source from : <http://www.pc01.cn/>

Previous Works

■ BGA-Route

- T. Yan and M. D. F. Wong, “BSG-Route: A length-matching router for general topology,” *ICCAD, 2008*.
- **Limitations:** no obstacle constraint / remainder area in BSG cells

■ US Routing

- Y. Kohira et. al, “A fast longer path algorithm for routing grid with obstacles using biconnectivity based length upper bound,” *ASPDAC, 2009*
- **Limitations:** high time complexity / optimal solution is not guaranteed

■ CAFE-router

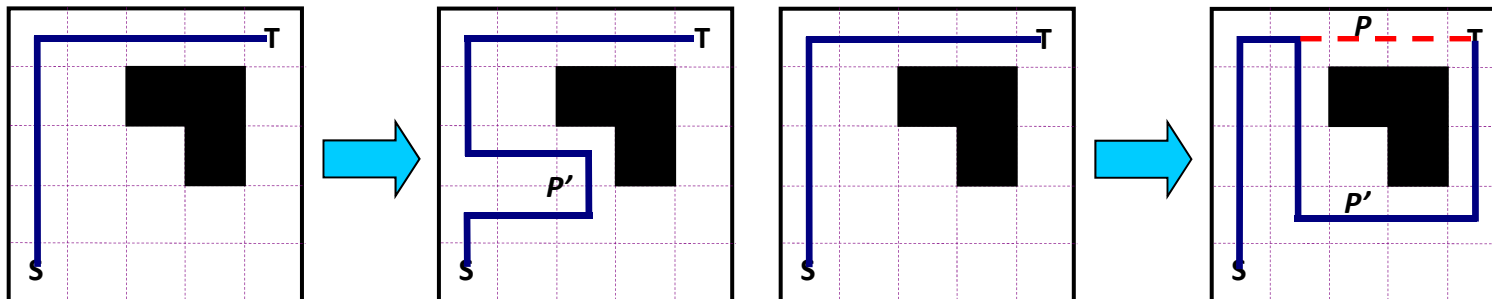
- Y. Kohira et.al, “CAFE router: A Fast Connectivity Aware Multiple Nets Routing Algorithm for Routing Grid with Obstacles,” *ASPDAC, 2010*
- **Limitations:** length-matching with high length error

Motivations

- Limitations in the previous works
 1. Without consideration of obstacles
 2. Length-matching with length error
- An efficient length-matching approach for bus routing
 1. Bus routing with considering obstacles
 2. More accurate result under the constraint of length-matching

Preliminary

- ▶ Routing area in a single layer can be represented by a set of routing grids
 - ▶ An arbitrary-shaped obstacle can be formed by a set of routing grids (drawn by black)
- ▶ Grid-based routing path for a net
 - ▶ Two grids are specified as the locations of the start and target terminals, S and T
 - ▶ A path connects S and T by using horizontal or vertical segments and passes each available grid **at most once**
 - ▶ The **length** of a connecting path is defined as the number of passed grids in the routing path
- ▶ Flip operations for path detouring
 - ▶ **R-flip**: a partial path can be detoured by using adjacent routing grids and inserting a detouring path, P'
 - ▶ **C-flip**: a partial path, P, can be replaced by using another partial path, P', where the length of P' is larger than that of P



Problem Formulation

■ Input

- Two sequential sets of **start** and **target** terminals of r nets in a bus
 - Routing panel is divided into a $m \times n$ routing grids with s obstacle grids
 - Each net, i , has its connecting length of the **shortest path**, d_i

■ Constraints

- Length constraints, $l_1, l_2, \dots, l_r$ are given to satisfy the timing constraints

$$\left\{ \begin{array}{ll} l_i < d_i \text{ or } \sum_{i=1}^r l_i > mn - s & \Rightarrow \text{No Solution!!} \\ l_i \geq d_i \text{ or } \sum_{i=1}^r l_i \leq mn - s & \Rightarrow \text{Solution available!!} \end{array} \right.$$

- Non-crossing between any two pair of nets

■ Objective

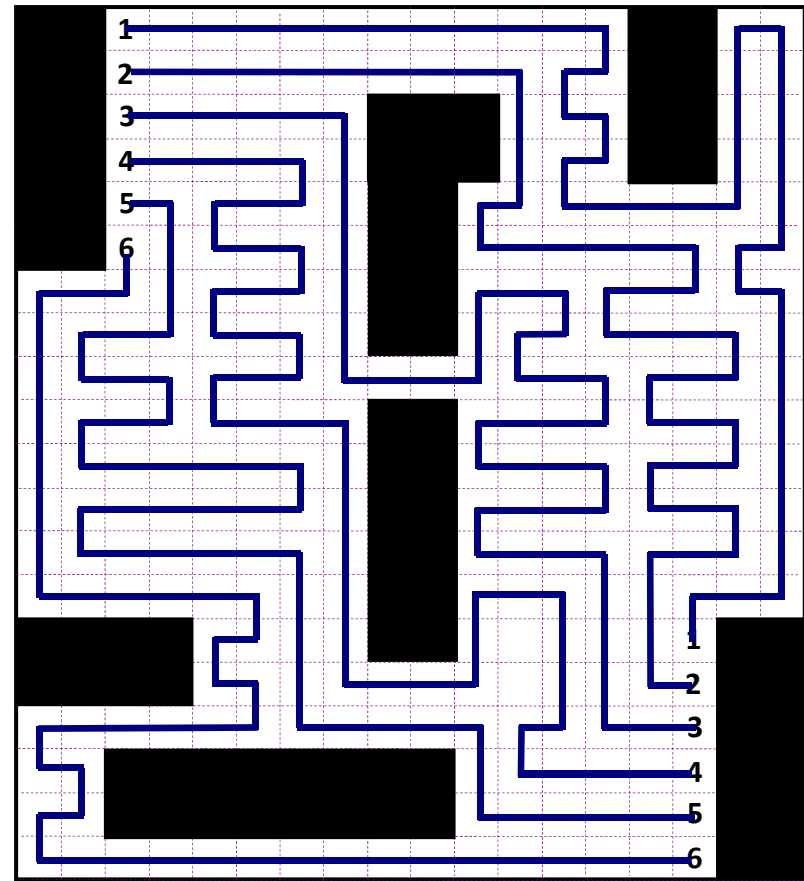
- The length-matching paths of r nets are generated in the bus

A 30x30 grid with black shapes and numbers 1-6 indicating starting points for a word search. The black shapes are:

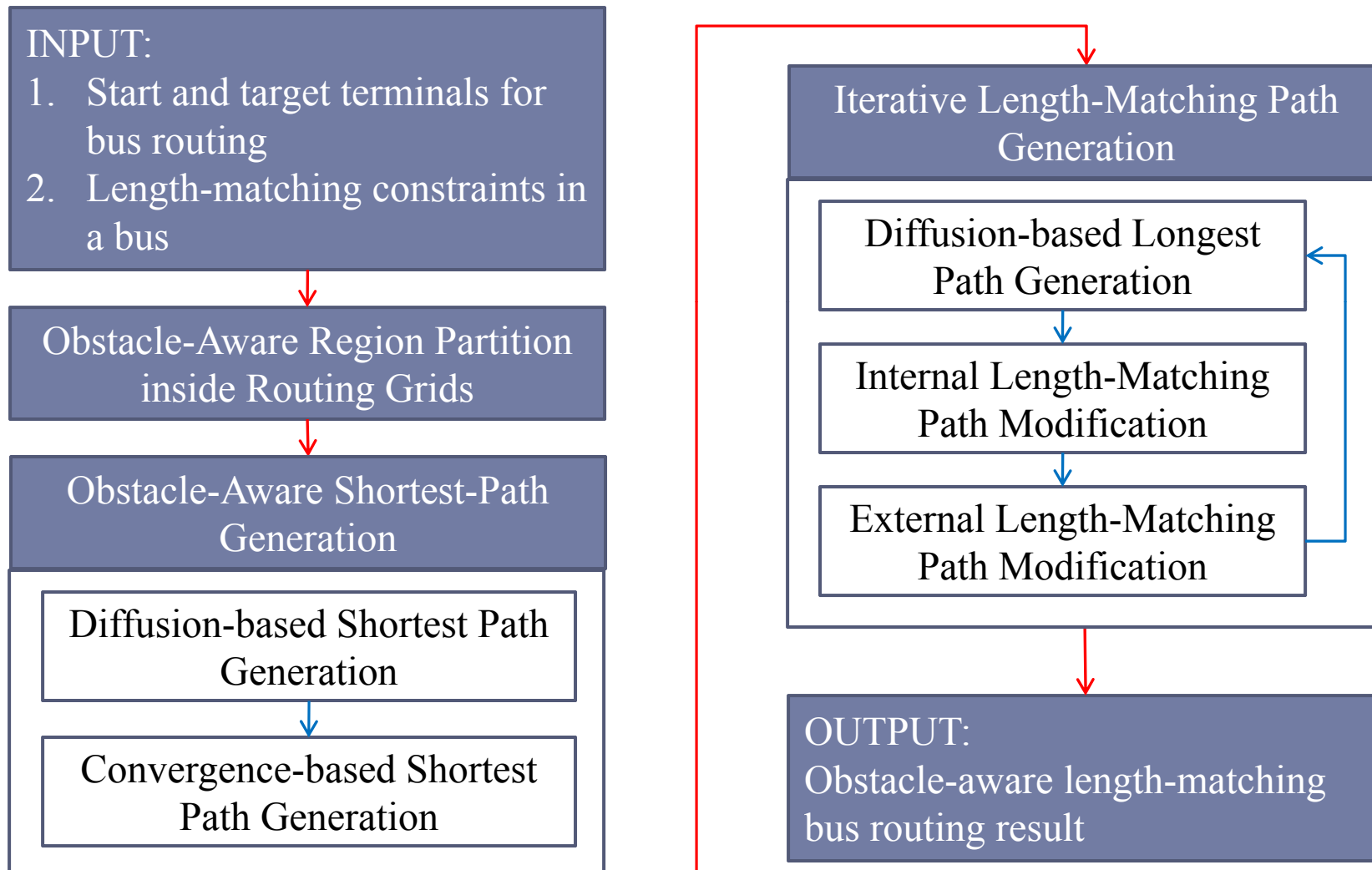
- A vertical bar at the top left, spanning rows 1-6, column 1.
- A vertical bar at the top right, spanning rows 1-6, column 29.
- A horizontal bar at the bottom left, spanning rows 20-23, column 1.
- A horizontal bar at the bottom right, spanning rows 20-23, column 29.
- A vertical bar in the center, spanning rows 10-20, column 15.
- A horizontal bar at the bottom, spanning rows 24-26, column 10 to 15.

The numbers 1-6 are placed at the starting points of the black shapes:

- 1 at (1, 1)
- 2 at (2, 1)
- 3 at (3, 1)
- 4 at (4, 1)
- 5 at (5, 1)
- 6 at (6, 1)
- 1 at (20, 1)
- 2 at (21, 1)
- 3 at (22, 1)
- 4 at (23, 1)
- 5 at (24, 1)
- 6 at (25, 1)

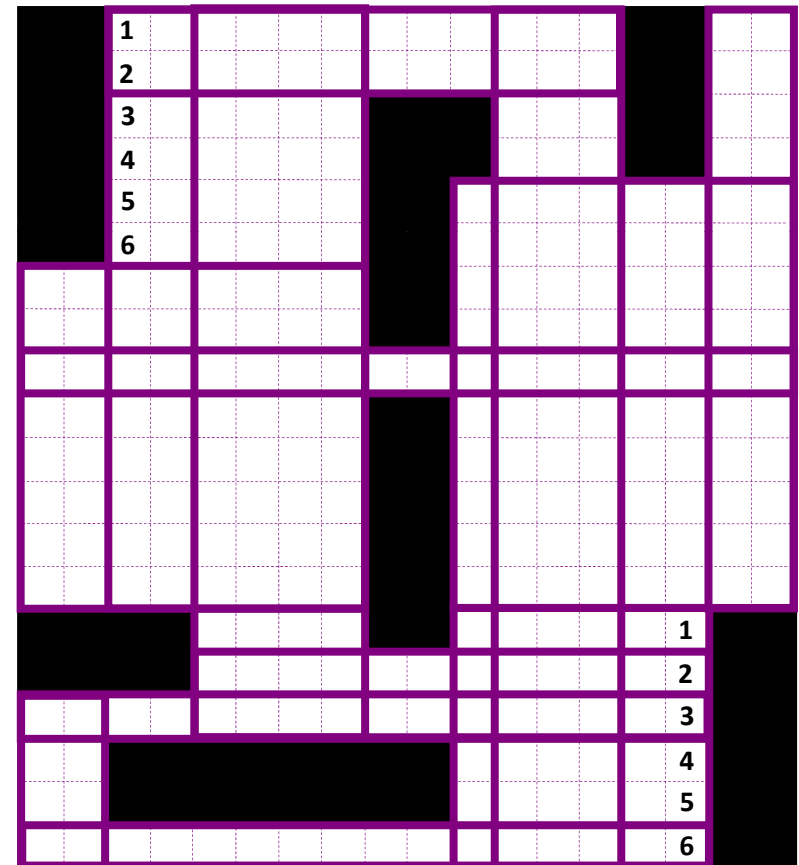

$$(d_1=28, d_2=28, d_3=28, d_4=28, d_5=,28 d_6=34)$$

Design Flow



Region Definition

- ▶ **Outer Boundary** : minimum covering rectangular boundaries
 - ▶ Including all the routing grids: available & obstacle grids
- ▶ **Extended lines** on hor. and vert. boundaries of obstacles
 - ▶ **Independent region**: hor. or vert. extended line
 1. Two obstacle boundaries
 2. One obstacle boundary and one outer boundary



Iterative Obstacle-Aware Region Partition

■ Partition process

Step 1: If all the routing grids are assigned into independent regions

➔ process done

Step 2: According to the extended lines of obstacles and outer boundary, independent region can be found.

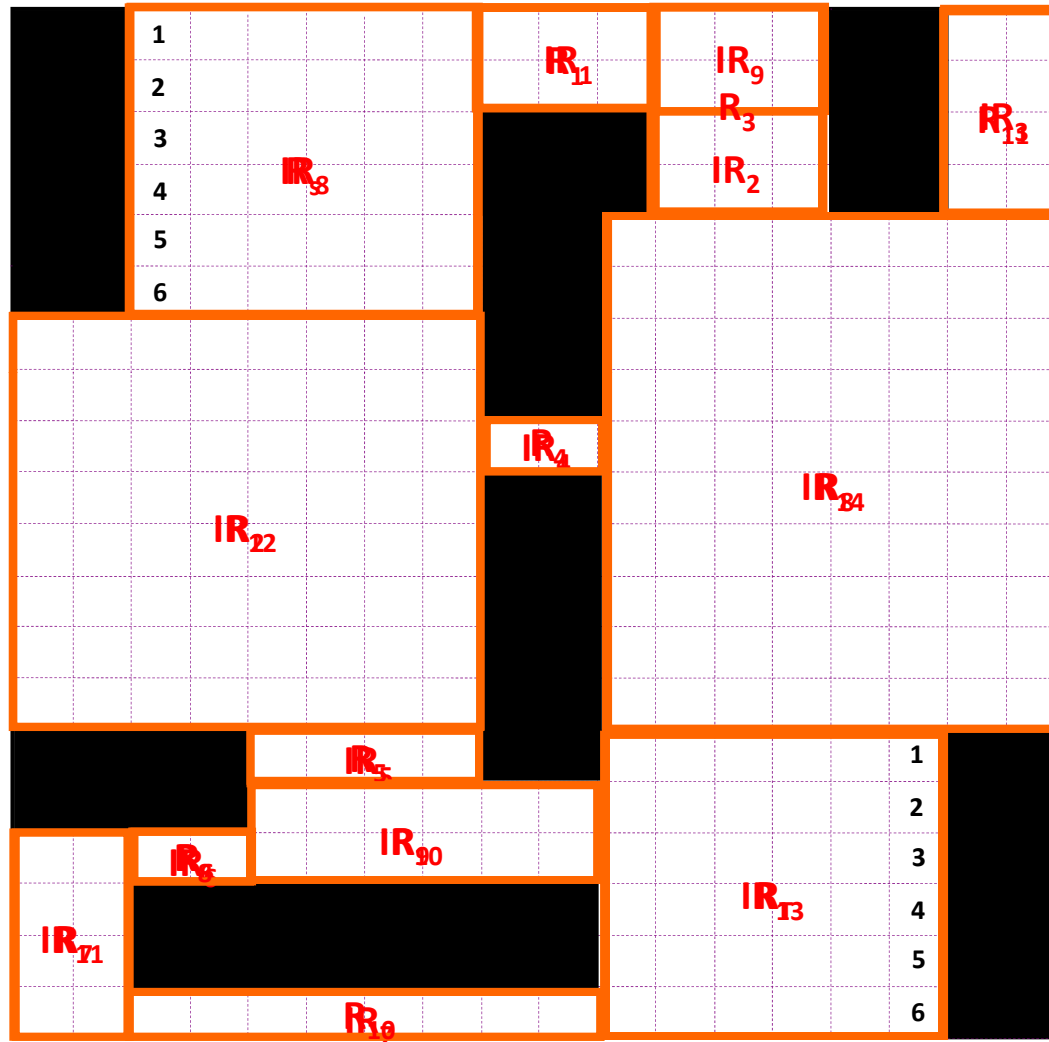
Step 3: Take the found independent regions as newly obstacles, go to Step 1

■ Merging process

- If any independent region is able to be horizontally or vertically merged with its adjacent independent region, merging with their adjacent regions

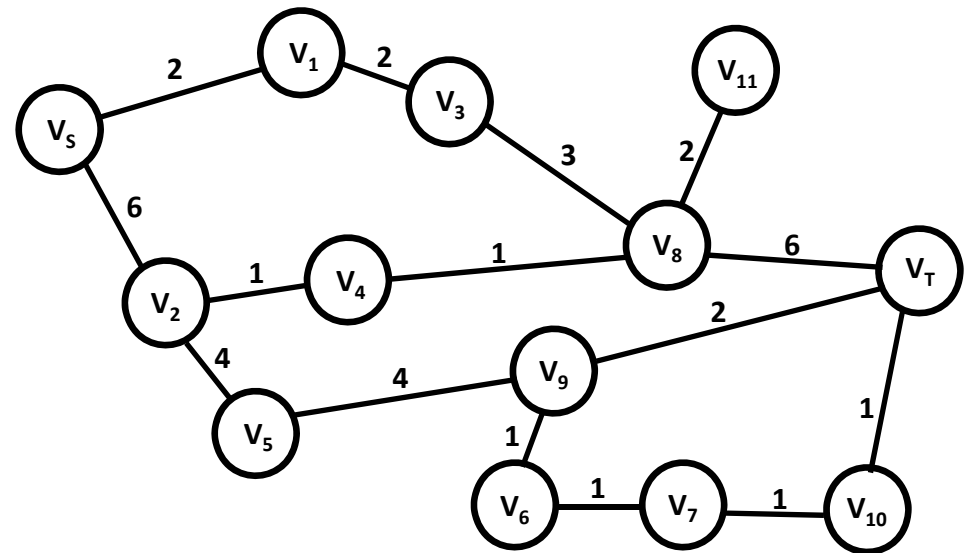
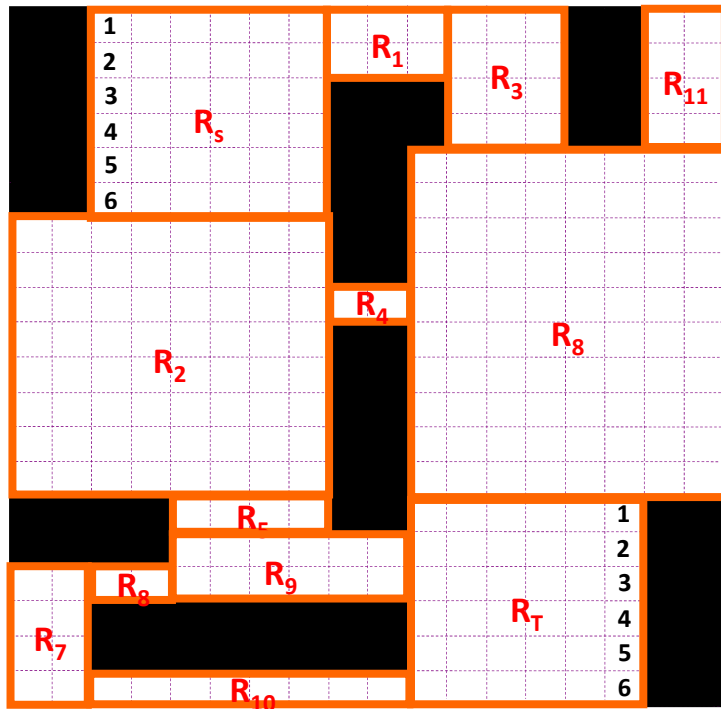
- Regions including start or target terminals are defined as start region and target region

Partition & Merging Process



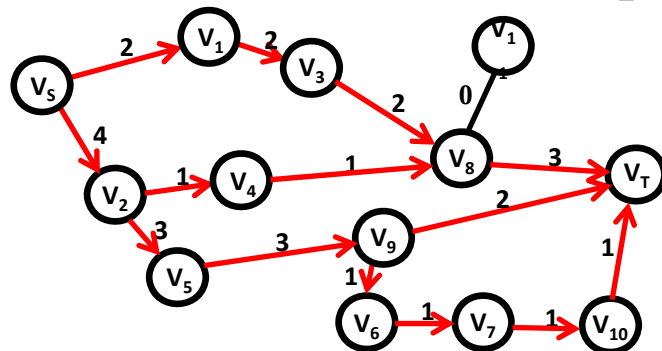
Adjacent Graph Construction

- Adjacent graph, $G(V, E)$: an undirected edge-weight graph
 - Any V_i , in V represents a partitioned region, R_i .
 - Any $E_{i,j}$, in E represents the adjacent relation between two partitioned regions, R_i and R_j , and the edge weight, $w_{i,j}$, represents the allowable net capacity between R_i and R_j .



Flow-Based Path Generation

- ▶ According to the adjacent graph, with V_S and V_T , the number of *maximum flow(routed path)*, M , can be obtained by performing maximum-flow algorithm
 - ▶ Un-routable condition
 - ▶ The flow, M , is smaller than the number of nets, r , in a bus
- ▶ Routed path assignment
 - ▶ M flows, from 1 to M and r nets, from 1 to r , and $M \geq r$
 - ▶ Balanced distribution expression



$$f_i = 1 + \left\lfloor \frac{(i-1)(M-1)}{r-1} \right\rfloor, \text{ if } 1 \leq i \leq r$$

Assigned Region Relations

▶ Three relations between net and its assigned routed region

1. Private region

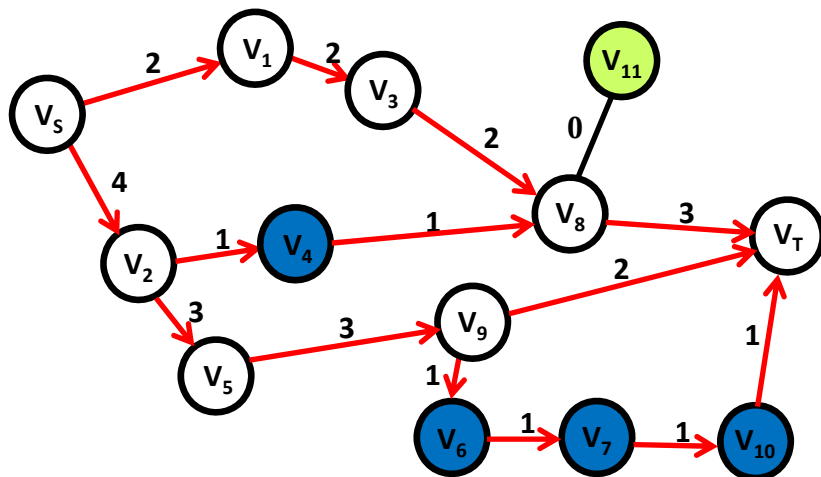
- ▶ Only one net is assigned into this region → All routing grids inside this region are only used by the route of the net

2. Share region

- ▶ Without any net is assigned into the region → All routing grids inside this region can be used by all possible nets

3. Public region

- ▶ Some nets are assigned into this region → All routing grids inside this region can be used by the routes of these assigned nets



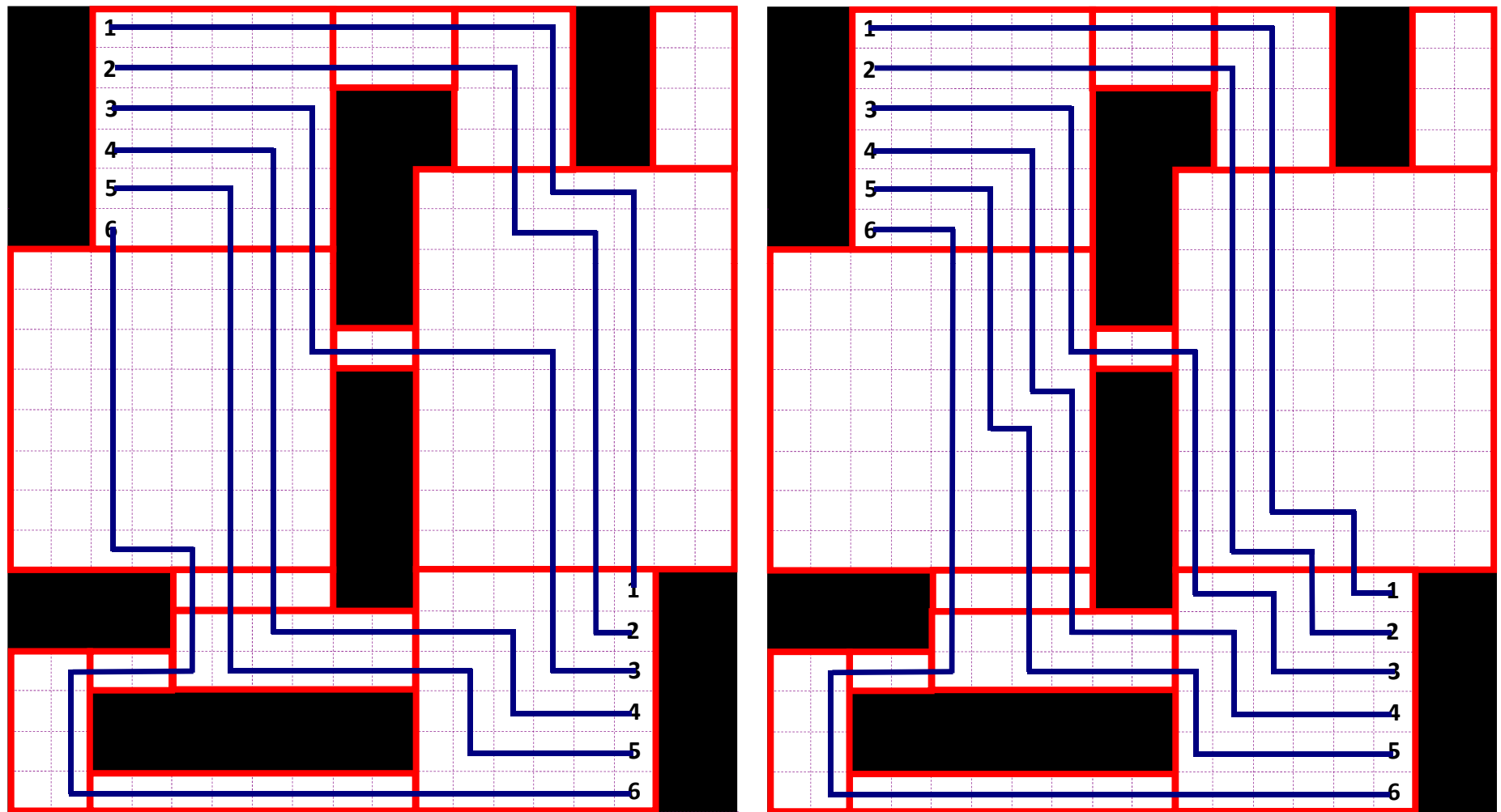
Assign region path :

- Net1, Net2 : $V_S \rightarrow V_1 \rightarrow V_3 \rightarrow V_8 \rightarrow V_T$
- Net3 : $V_S \rightarrow V_2 \rightarrow V_4 \rightarrow V_8 \rightarrow V_T$
- Net4, Net5 : $V_S \rightarrow V_2 \rightarrow V_5 \rightarrow V_9 \rightarrow V_T$
- Net6 : $V_S \rightarrow V_2 \rightarrow V_5 \rightarrow V_9 \rightarrow V_6 \rightarrow V_7 \rightarrow V_{10} \rightarrow V_T$

Initial Obstacle-Aware Path Generation

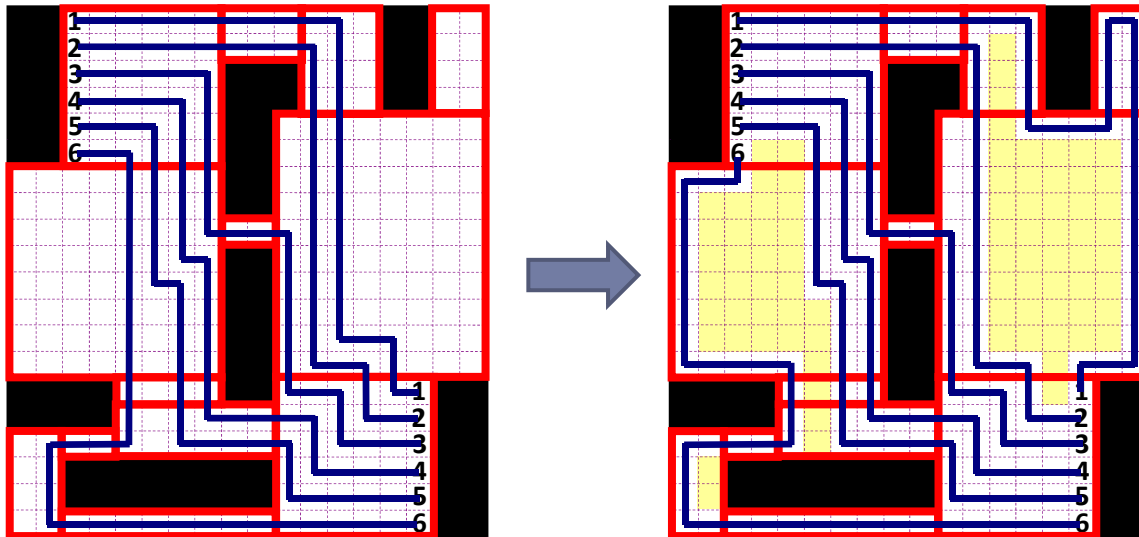
- ▶ Objective: determine the routing path inside the assigned region for all nets
- ▶ Two-phase shortest path generation
 1. Diffusion-based shortest path: sequentially generate the shortest path for all nets
 - ▶ First and last of un-routed nets are routed firstly
 - ▶ Route as the outer routing grids as possible
 - ▶ The routed nets are regarded as obstacles
 2. Convergence-based shortest path: integrate the available routing grids together and distribute in the outer routing area
 - ▶ Routing with reverse routing order in the first phase
 - ▶ Reassign the routing grids as convergent as possible

Example of Initial Path Generation



Iterative Length-Matching Path Generation

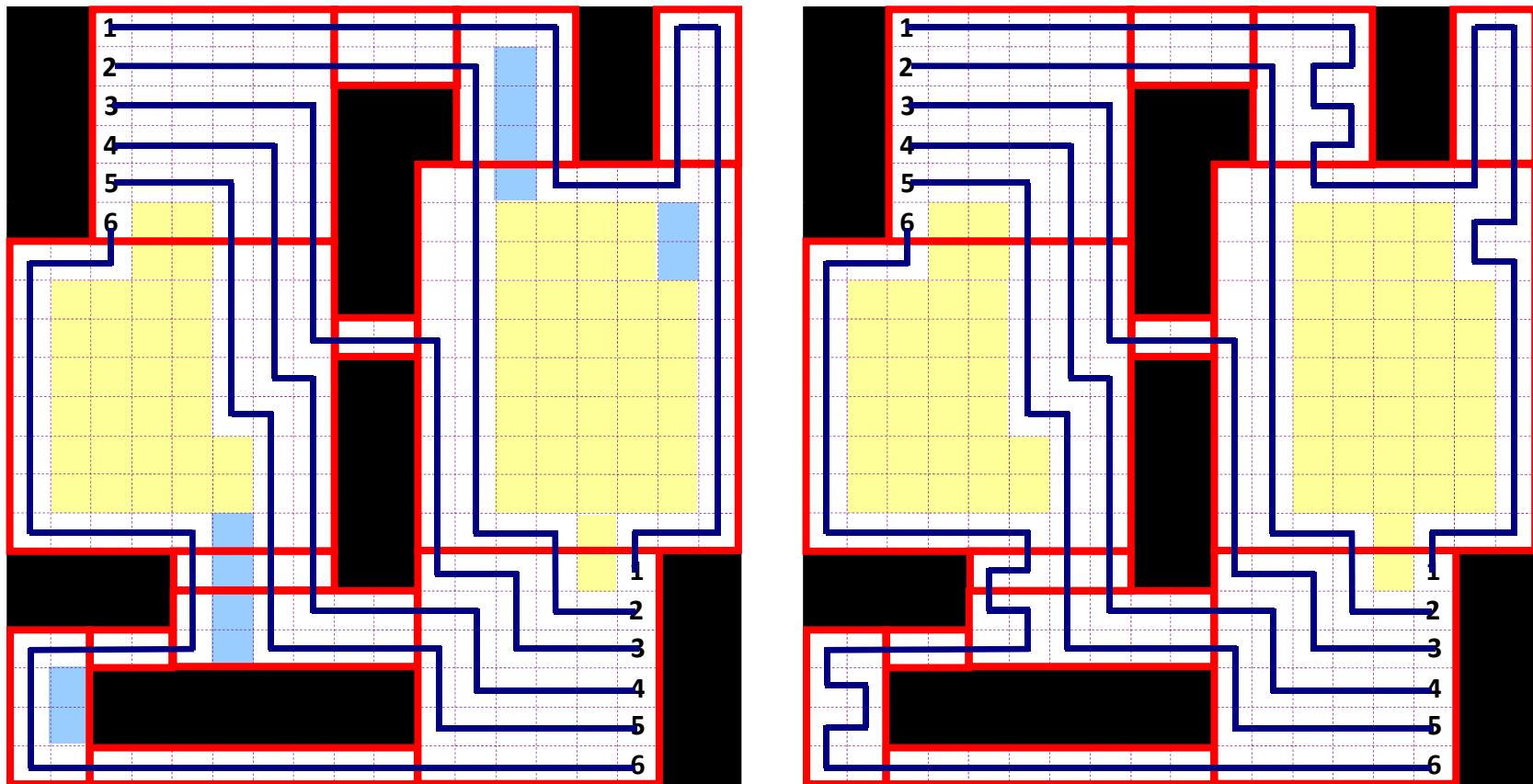
- ▶ Three sub-processes for length-matching path generation
 1. Diffusion-based longest path generation
 2. Internal length-matching path modification
 3. External length-matching path modification
- ▶ Diffusion-based longest path generation
 - ▶ The first and the last nets are firstly considered to generate their diffusion-based longest paths.
 - ▶ A path along the outer boundary and adjacent obstacles.
 - ▶ Go through the regions on **its region** path and available **share regions**.



Internal Length-Matching Path Modification

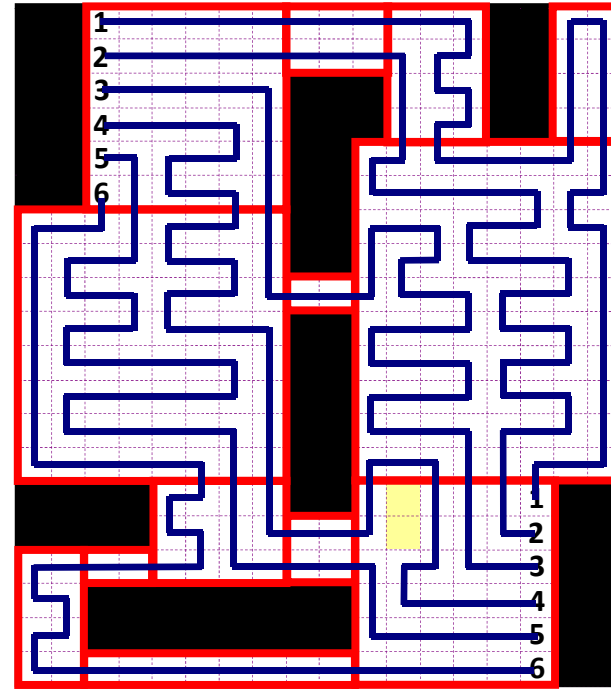
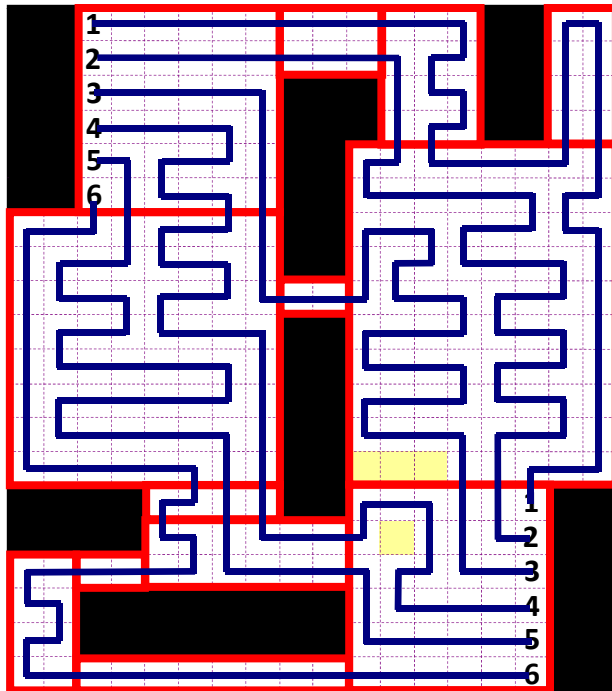
- ▶ Objective: modify the diffusion-based longest path result to satisfy the given length constraint
- ▶ Three possible conditions
 1. Equal to length constraint
 - ▶ Two assigned length-matching paths will be treated as obstacles
 - ▶ Process the next pair of un-routed nets
 2. Larger than length constraint
 - ▶ Shorten the partial or full paths inside the share regions
 3. Smaller than length constraint
 1. Detour the partial or full paths inside the regions
 - Private region > Share region > Public region
 2. Detour operations: R-flip / C-flip

Example of Internal Path Modification



External Length-Matching Path Modification

- ▶ Objective: modify the detour path without satisfying the given length constraint after internal pat modification
 - ▶ *R-flip* and *C-flip* operations on the other public region to satisfy the given length constraint



Analysis of Time Complexity

- Obstacle-aware region partition inside routing grids
 - Partitioning obstacle-aware regions: $O(s^2)$
 - Adjacent graph construction: $O(s)$
- Obstacle-aware shortest-path generation
 - Finding the maximum flow in adjacent graph: $O(s^3)$
 - Feasible region path assignment for all the nets: $O(rs)$
 - Generating diffusion-based and convergence-based shortest path: $O(mn)$
- Iterative length-matching path generation
 - Generating two diffusion-based longest path in each iteration: $O(m+n)$
 - Internal and external length-matching path modification: $O(l)$
 - l : the given maximum length constrain

Time Complexity: $O(r(m+n+l)+s^3)$

Time Complexity: $O(mn+s^3)$



$r(m+n+l) \sim mn$

Experimental Results

- Experimental environment

- PC: Intel Quad Core 2.66GHz with 2GB memory
- Programming language : C++ language

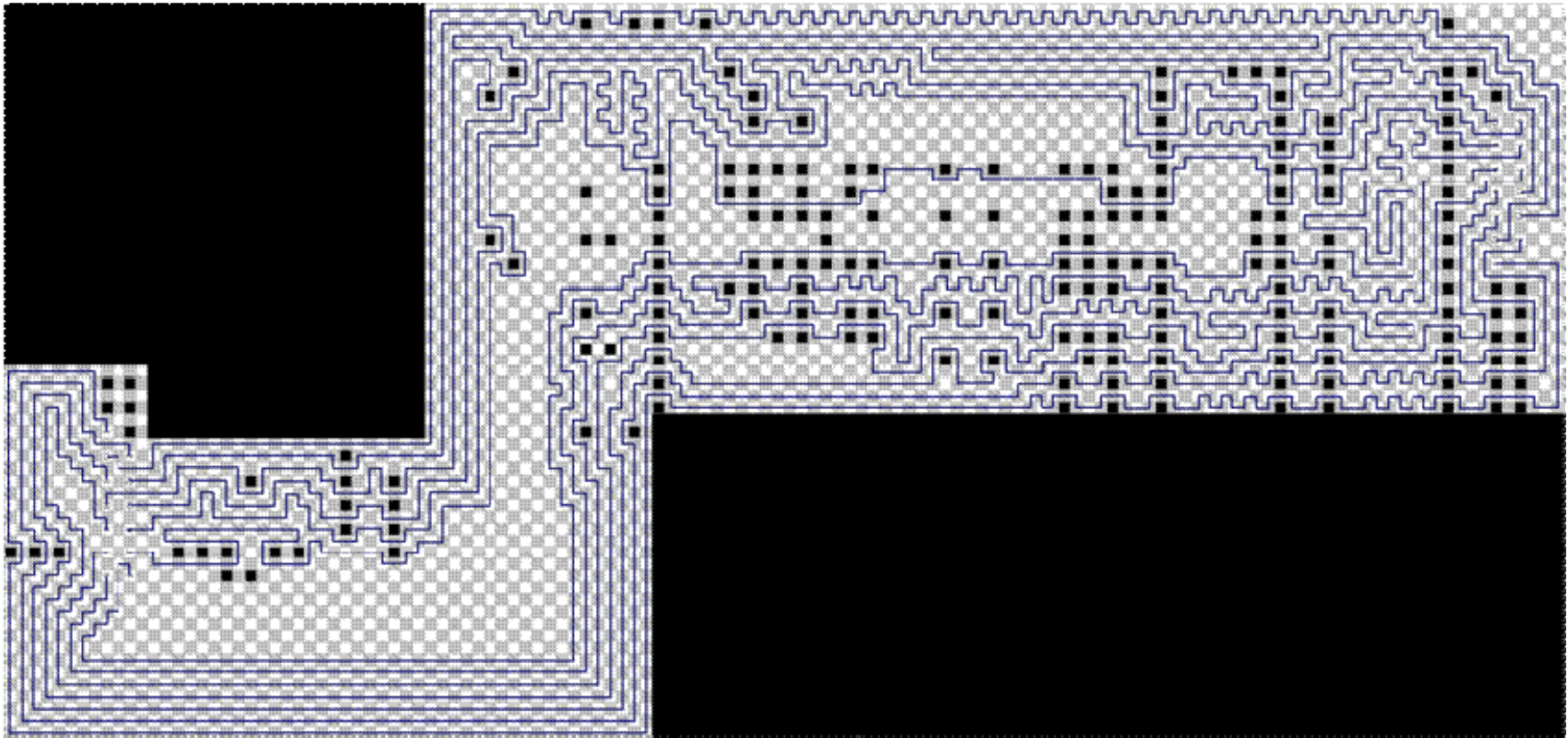
- Two test examples are from the previous published paper -- CAFÉ router

- The information of two test examples and the results of comparison show as following :

<i>Circuits</i>	<i>Area</i>	<i>#Obstacle Grids</i>	<i>Number of Nets</i>	<i>Length Constraint</i>	
<i>Data1</i>	<i>28x28</i>	<i>13</i>	<i>4</i>	<i>100</i>	<i>150</i>
<i>Data2</i>	<i>61x130</i>	<i>3441</i>	<i>13</i>	<i>251</i>	<i>301</i>

Example	Length constraint	CAFÉ Router		Our Routing	
		Length Error	CPU Time(s)	Length Error	CPU Time(s)
Data1	100	0	0.35(100%)	0	0.08(22.9%)
	150	10	0.42(100%)	0	0.09(21.4%)
Data2	251	10	25.63(100%)	0	4.96(19.4%)
	301	6	26.85(100%)	0	5.28(19.7%)
Total		26	53.25(19.5%)	0	10.41(19.5%)

Data2 Results



Length constraint = 251

Conclusions

- Signal propagation delays on PCBs are requested to meet the timing constraints with very high accuracy
- Based on obstacle-aware region partition, obstacle-aware shortest path generation and two detouring operations, an efficient approach is proposed to generate the length-matching paths

Thanks for your attention!!

Q&A